

層流対向流場に形成されるn-decane噴霧火炎中のすす生成特性に噴霧特性が与える影響

Effects of spray characteristics on soot formation of n-decane spray flame stabilized in the laminar counter-flow field

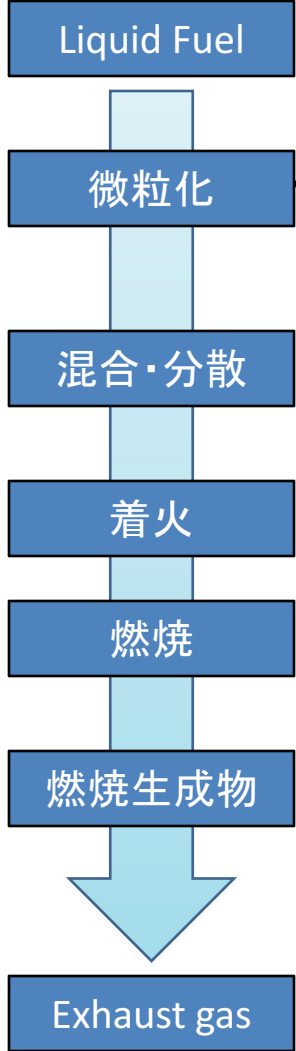
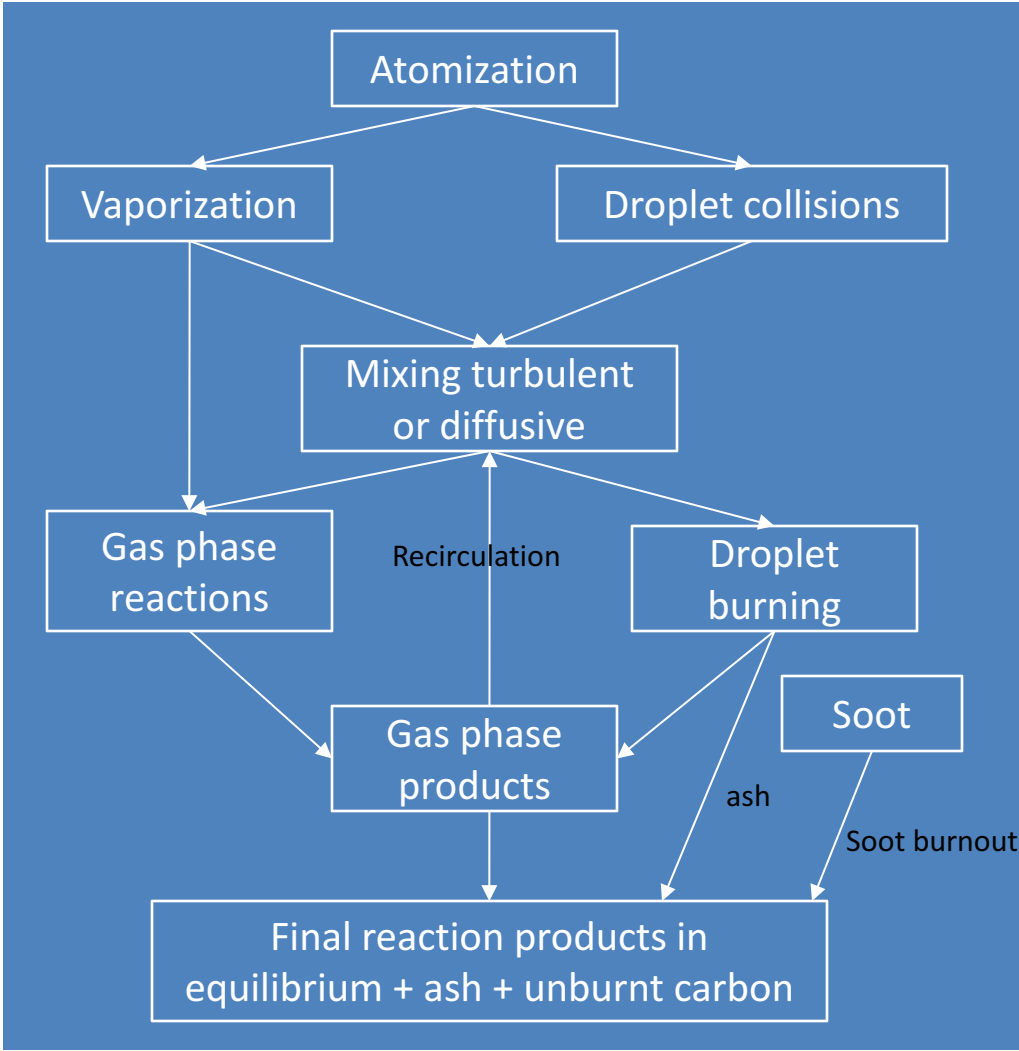
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燃焼器における噴霧燃焼のステップ

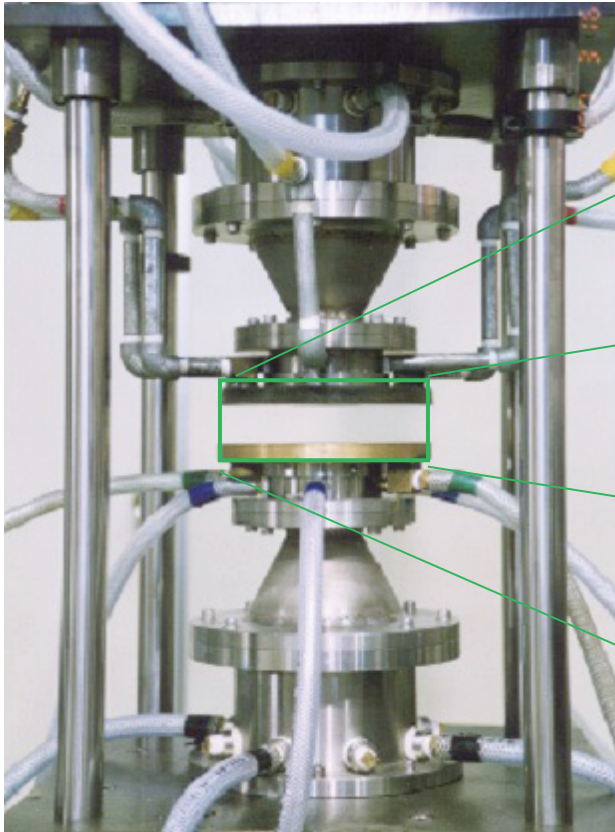


微粒化により噴霧特性
が決定され、すべての
過程に影響を与える。



Ref.) A. Williams, Combustion of liquid fuel sprays, (1990), Butterworths.

Laminar Counterflow Burner

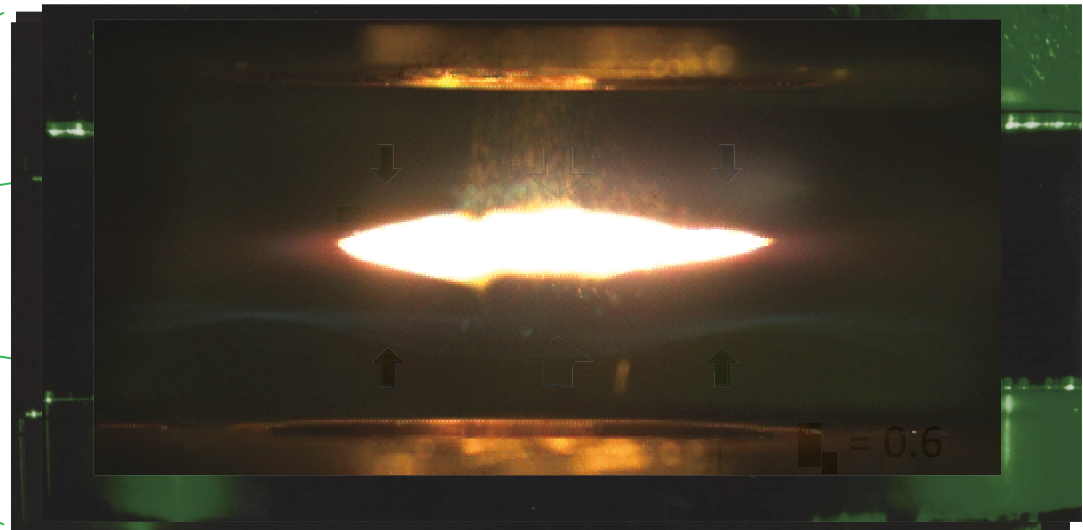


Spray

Flow rate

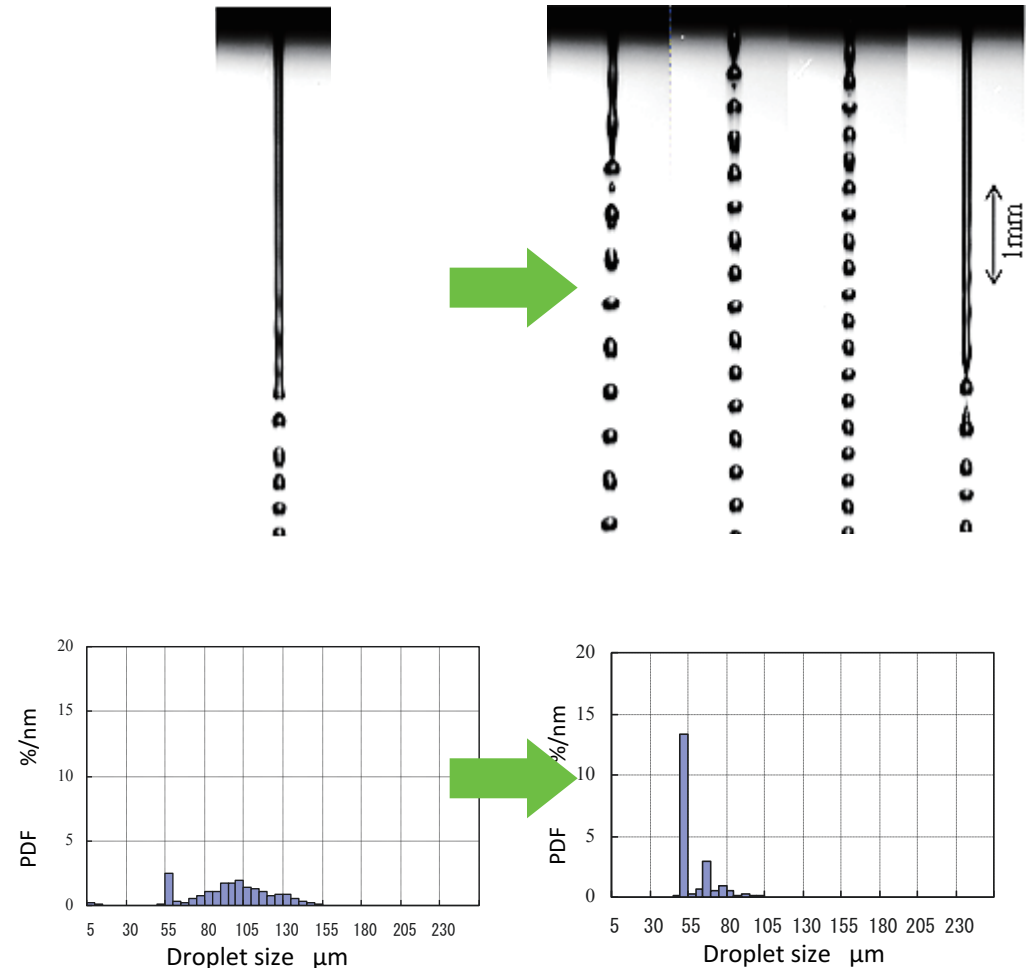
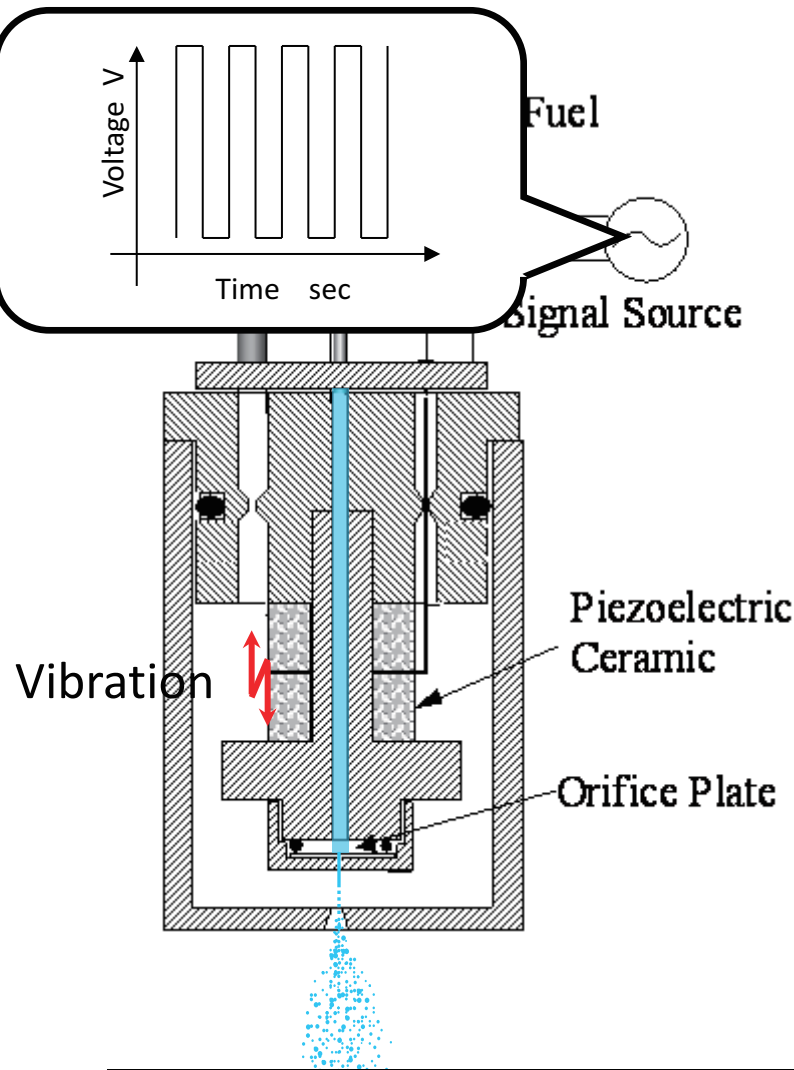
Drop size distribution

controlled



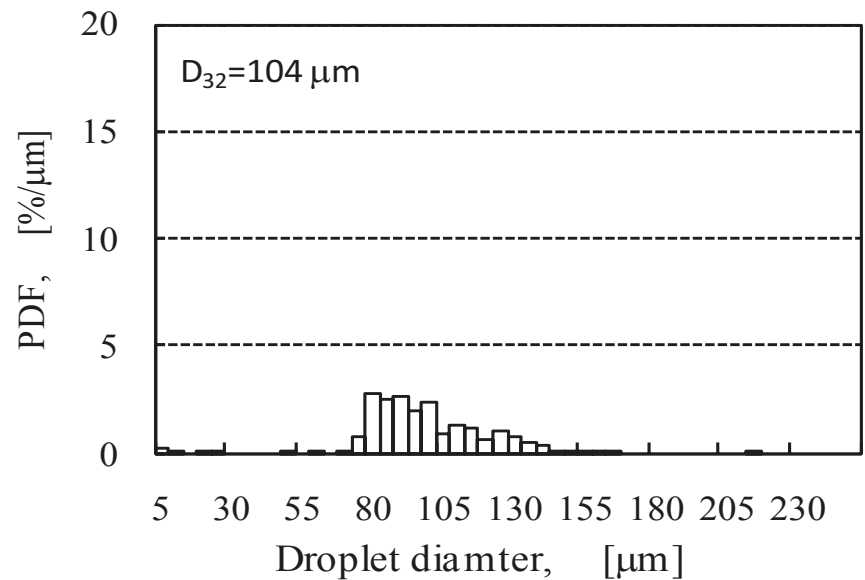
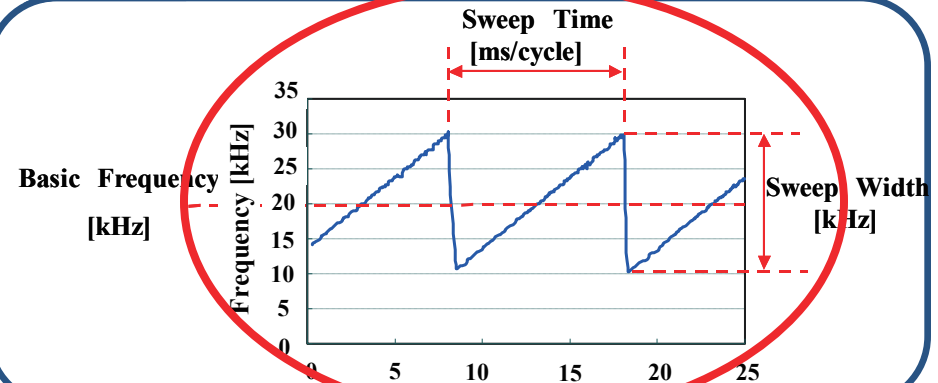
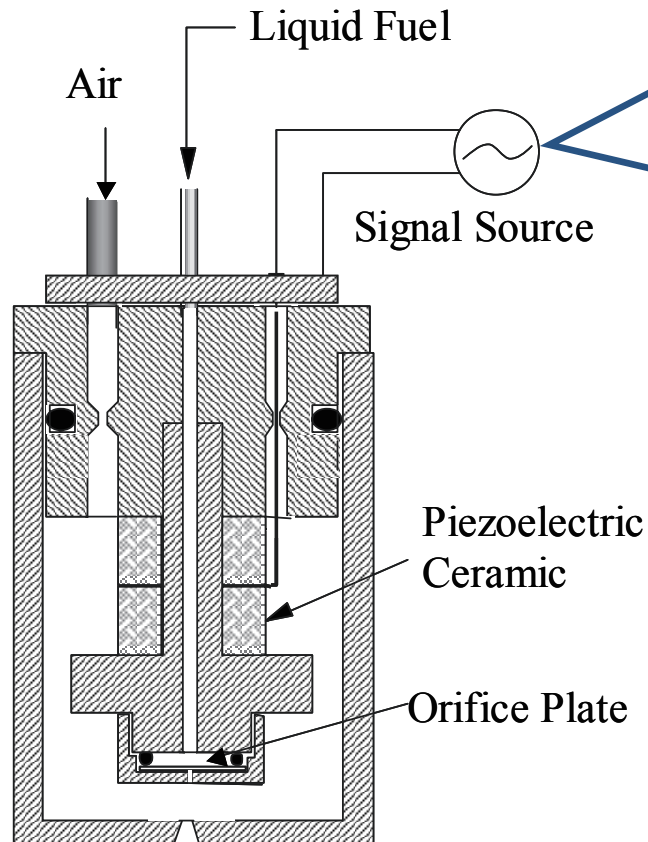
- Flat gaseous flame is stabilized.
- It simulates a situation of combustor in which fuel spray is entering the high temperature region.

Vibratory Orifice Atomizer –droplet size distribution control-



Control of Mean droplet size through changing frequency of electric signal

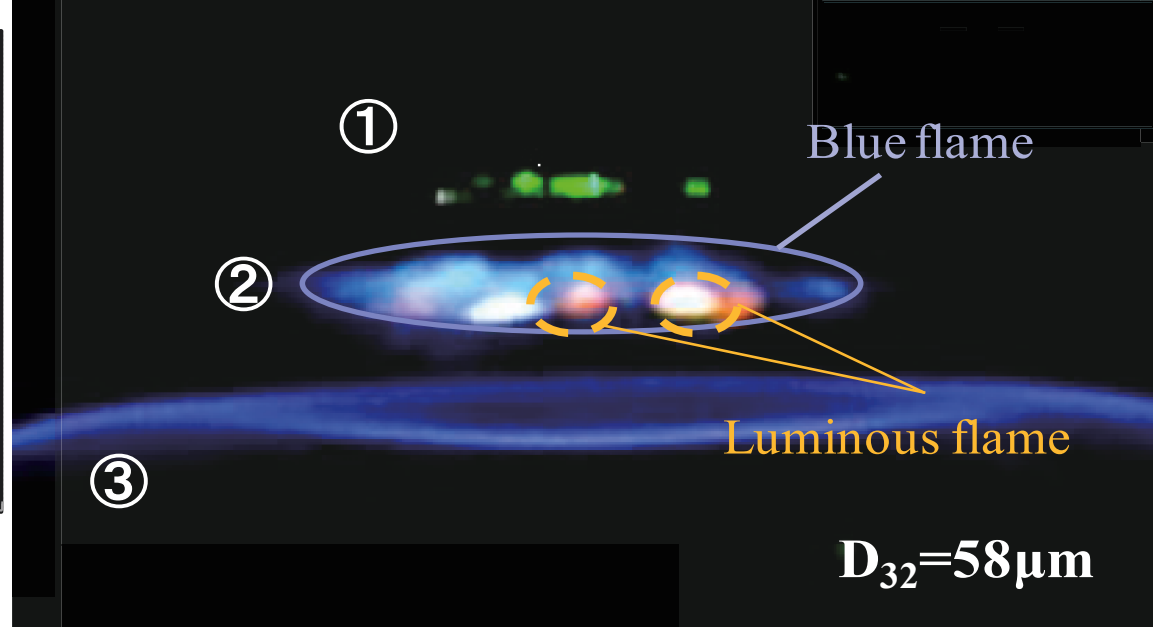
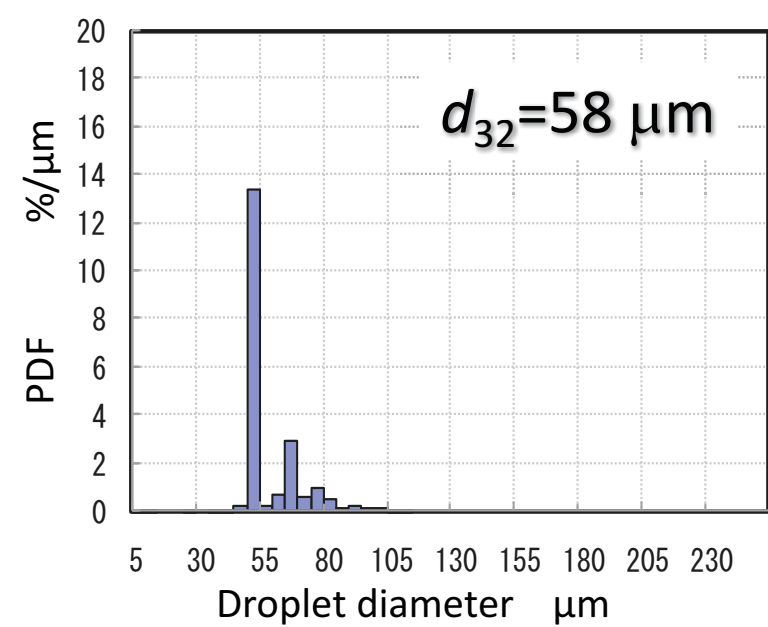
Vibratory Orifice Atomizer –droplet size distribution control-



It can control droplet size distribution independently!!

Experimental Conditions

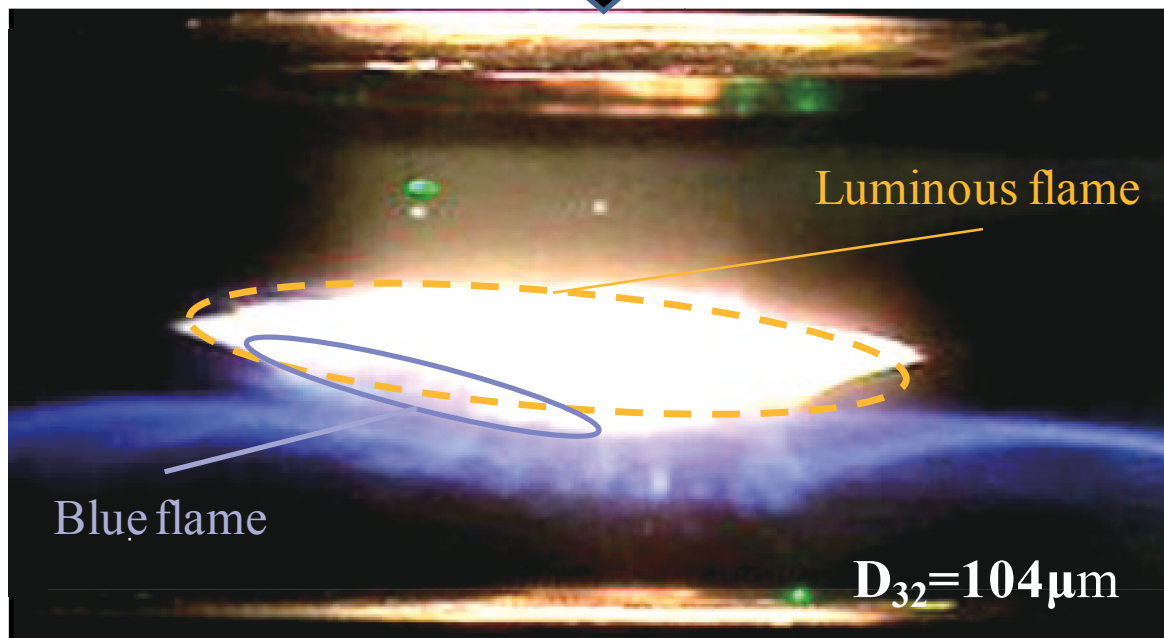
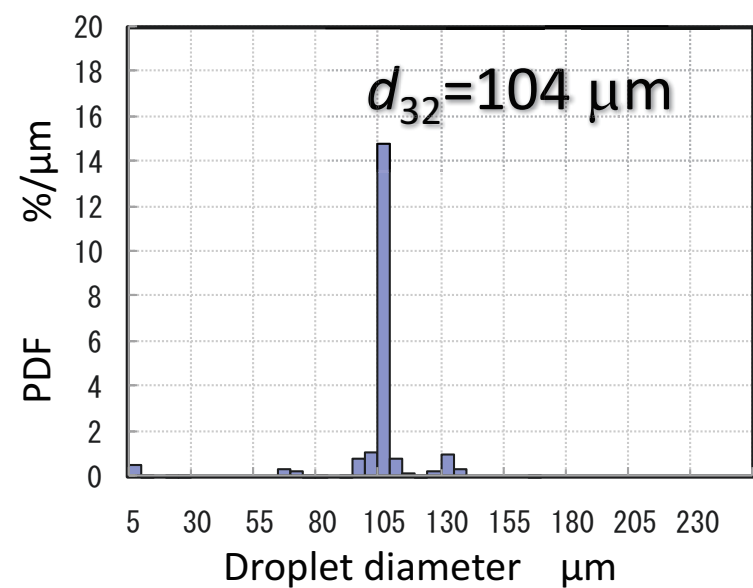
Item	Value
Fuel	<i>n</i> -decane
Sauter mean diameter (d_{32})	58 ~ 110 μm
Liquid Fuel Equivalence Ratio	$\phi_l = 0.106$
Droplet size distribution (DSD)	Quasi Mono-DSD ~ Poly-DSD
Measurement	LII (for soot)
	PDA (for droplets)



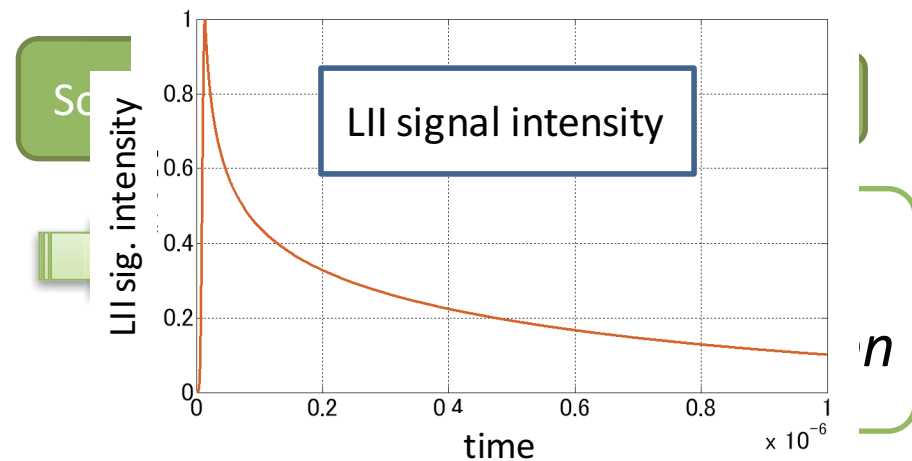
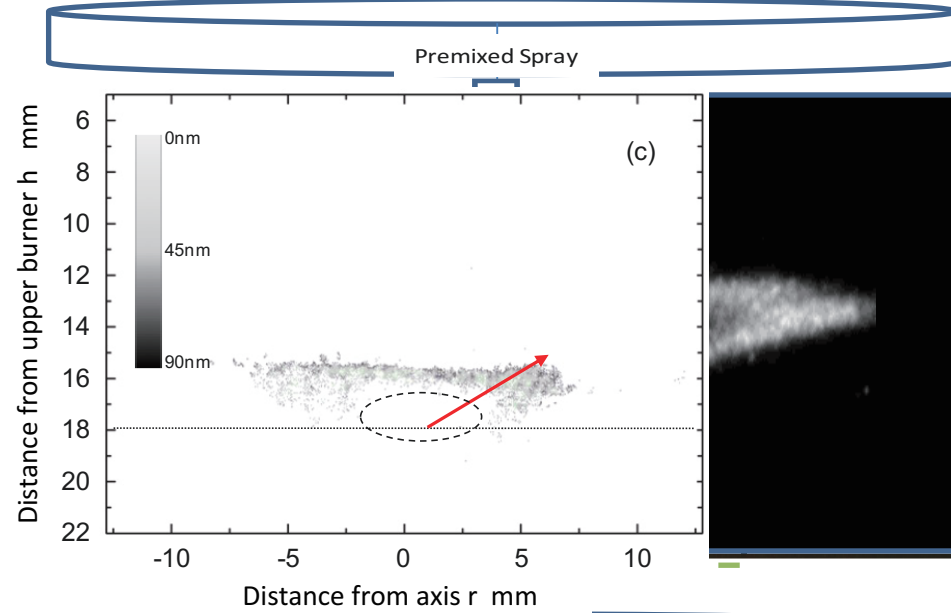
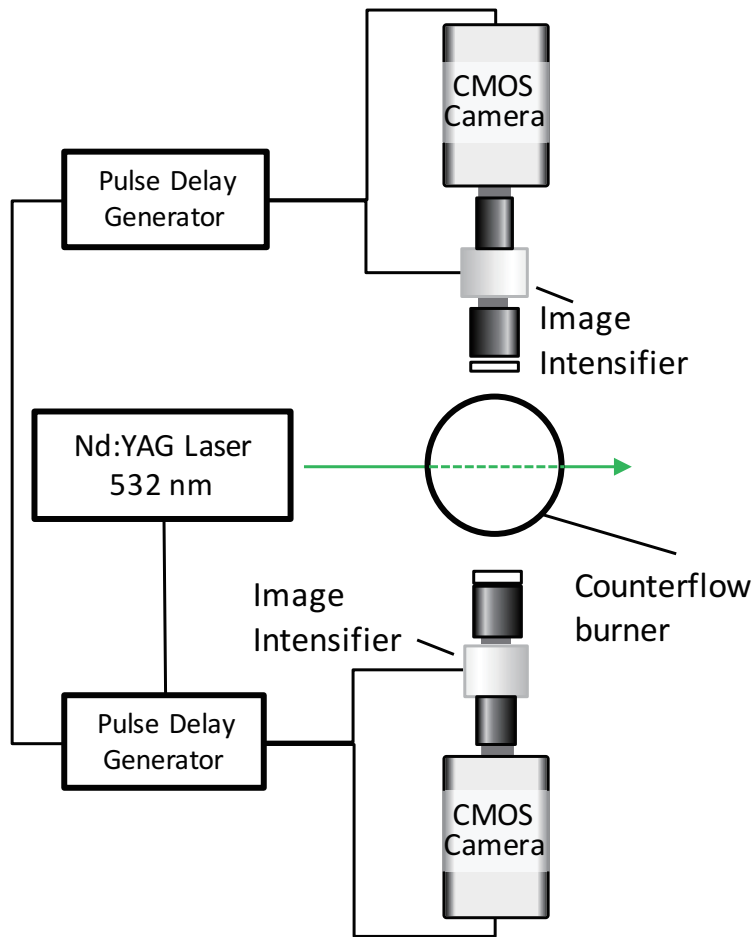
Mean droplet diameter

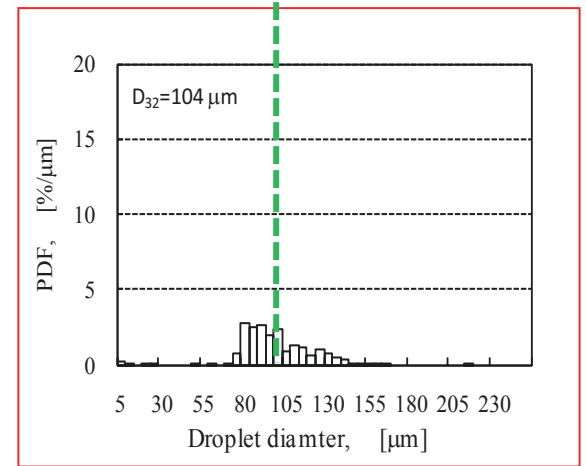
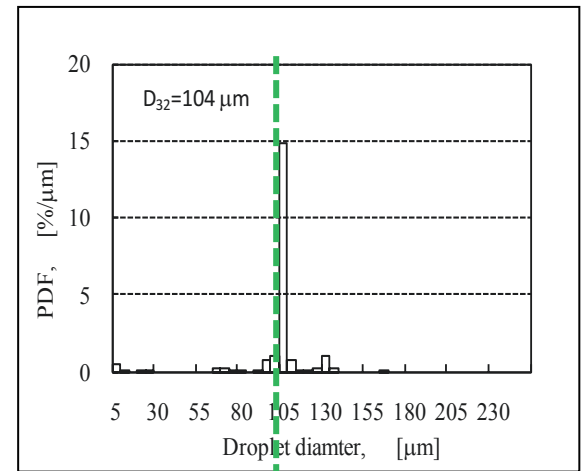
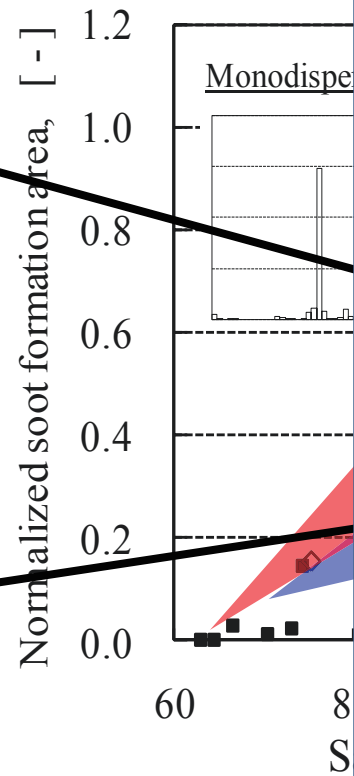
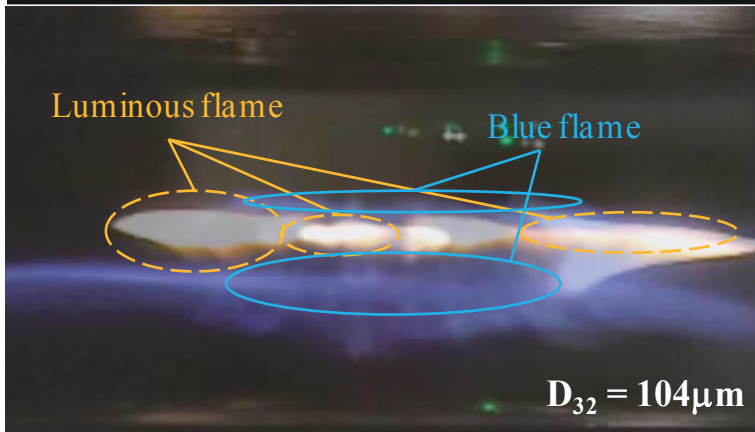
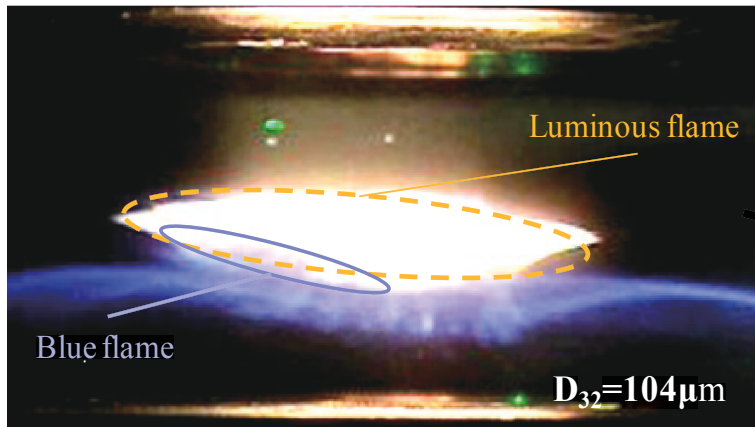


Flame structure



Laser Induced Incandescence (LII) for soot volume fraction





支配方程式

気相

質量保存式
$$\frac{\partial \rho}{\partial t} + \frac{\partial}{\partial x_j} \rho u_j = S_m$$

運動量保存式
$$\frac{\partial \rho u_i}{\partial t} + \frac{\partial}{\partial x_j} (\rho u_i u_j + P \delta_{ij} - \sigma_{ij}) - \rho g_i = S_{u_i}$$

エネルギー保存式
$$\frac{\partial \rho h}{\partial t} + \frac{\partial}{\partial x_j} \left[\rho u_j h - \rho \lambda \frac{\partial h}{\partial x_j} + \sum_{k=1}^n h_k (\rho \lambda - \rho D_k) \frac{\partial Y_k}{\partial x_j} \right] = S_h$$

化学種保存式
$$\frac{\partial \rho Y_k}{\partial t} + \frac{\partial}{\partial x_j} \left(\rho u_j Y_k - \rho D_k \frac{\partial Y_k}{\partial x_j} \right) = S_{\text{combu},k} + S_{Y_k}$$

油滴

位置
$$\frac{dx_{d,i}}{dt} = u_{d,i}$$
 速度
$$\frac{du_{d,i}}{dt} = \frac{f_1}{\tau_d} (u_i - u_{d,i}) + g_i$$

温度
$$\frac{dT_d}{dt} = \frac{Nu}{3Pr} \left(\frac{c_p}{c_{p,d}} \right) \left(\frac{f_2}{\tau_d} \right) (T_g - T_d) + \frac{1}{m_d} \left(\frac{dm_d}{dt} \right) \frac{L_V}{c_{p,d}} + \frac{1}{m_d c_{p,d}} [A_d \varepsilon_d (\pi I - \sigma_{sb} T_d^4)]$$

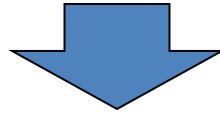
f_1 と f_2 はそれぞれ油滴の蒸発による効力と熱伝達に関する修正係数

質量
$$\frac{dm_d}{dt} = -\frac{Sh}{3Sc} \frac{m_d}{\tau_d} \ln(1 + B_M) \quad B_M = \frac{Y_{F,S} - Y_F}{1 - Y_{F,S}} \quad \tau_d = \frac{\rho_d d_d^2}{18\mu}$$

Langmuir-Knudsen 蒸発モデル  2次精度Adams-Bashforth法

物性値の取り扱い(熱力学特性と輸送係数)

利便性から熱力学特性や輸送係数を定数として取り扱う



層流火炎で顕著な物性値の影響の精度を高めるため、
物性値の温度依存性を考慮

気相 ($\text{O}_2, \text{N}_2, \text{CO}_2, \text{H}_2\text{O}, \text{C}_{10}\text{H}_{22}$) $\rightarrow$ CHEMKIN
液相 ($n\text{-C}_{10}\text{H}_{22}$)

$\rightarrow$ 温度の関数で表された推算式を使用

密度 ρ_d	Gunn-Yamadaの方法
定圧比熱 $c_{p,d}$	Sternling-Brown式
熱伝導率 λ_d	Sato-Ridel法

気相－液相 相関干渉項

⇒ PSI-Cellモデル

質量 $S_m = -\frac{1}{\Delta V} \sum_{N_d} \dot{m}_d$

運動量 $S_{u_i} = -\frac{1}{\Delta V} \sum_{N_d} \left[\frac{m_d f_1}{\tau_d} (u_i - u_{d,i}) + \dot{m}_d u_{d,i} \right]$

エネルギー $S_h = -\frac{1}{\Delta V} \sum_{N_d} \left[\frac{1}{2} \frac{d}{dt} (m_d u_{d,i} u_{d,i}) + Q_d + \dot{m}_d h_{F,d} + Q_{rad} \right]$

化学種 $S_{Y_k} \begin{cases} = -\frac{1}{\Delta V} \sum_{N_d} \dot{m}_d & \text{for fuel } (k = F) \\ = 0 & \text{for other chemical species } (k \neq F) \end{cases}$

$$S_{combu,k} = -\frac{n_k}{n_F} \cdot \frac{W_k}{W_F} \cdot R_F$$

すす生成モデル

すす生成過程の影響 - ①各過程の生成モデル, ②flameletモデル

①核生成, 凝集, 表面成長, 酸化

②前駆体: C_2H_2 , 酸化剤: OH^* , O_2

混合分率の保存式
$$\frac{\partial \rho Z}{\partial t} + \frac{\partial}{\partial x_j} \left(\rho u_j Z - \rho D_Z \frac{\partial Z}{\partial x_j} \right) = S_Z \quad (\text{for } C_2H_2, OH^*)$$

$$S_Z = -\frac{\phi}{\phi + Y_{O_2,air}} \left(\frac{1}{\Delta V} \sum_{N_d} \frac{dm_d}{dt} \right)$$

$$\frac{\partial \rho \phi}{\partial t} + \frac{\partial}{\partial x_j} \left(\rho u_j \phi - \rho D_s \frac{\partial \phi}{\partial x_j} \right) = S_\phi \quad N = N_A \rho \phi_N, \quad M = \rho \phi_M$$

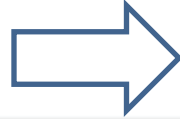
N:すすの数密度
M:すすの質量密度

$$S_N = \frac{1}{N_A} \left[\left(\frac{dN}{dt} \right)_{Inc.} + \left(\frac{dN}{dt} \right)_{Coa.} \right]$$

$$S_M = \frac{M_p}{N_A} \left(\frac{dN}{dt} \right)_{Inc.} + \left(\frac{dM}{dt} \right)_{Gro.} + \left(\frac{dM}{dt} \right)_{Oxi.}$$

すす生成過程

Flamelet model



C_2H_2 , OH^* , O_2

核生成
(nucleation)

$$R_{inc.} = \left(\frac{dN}{dt} \right)_{inc.} = c_1 N_A \left(\rho \frac{Y_{C_2H_2}}{W_{C_2H_2}} \right) e^{-\frac{21100}{T_g}}$$

凝集
(coagulation)

$$R_{coa.} = \left(\frac{dN}{dt} \right)_{coa.} = - \left(\frac{24R}{\rho_{soot} N_A} \right)^{1/2} \left(\frac{6}{\pi \rho_{soot}} \right)^{1/6} T_g^{1/2} M^{1/6} N^{11/6}$$

表面成長
(growth)

$$R_{gro.} = \left(\frac{dM}{dt} \right)_{gro.} = c_2 \left(\rho \frac{Y_{C_2H_2}}{W_{C_2H_2}} \right) e^{-\frac{12100}{T}} \left[(\pi N)^{1/3} \left(\frac{6M}{\rho_{soot}} \right)^{2/3} \right]$$

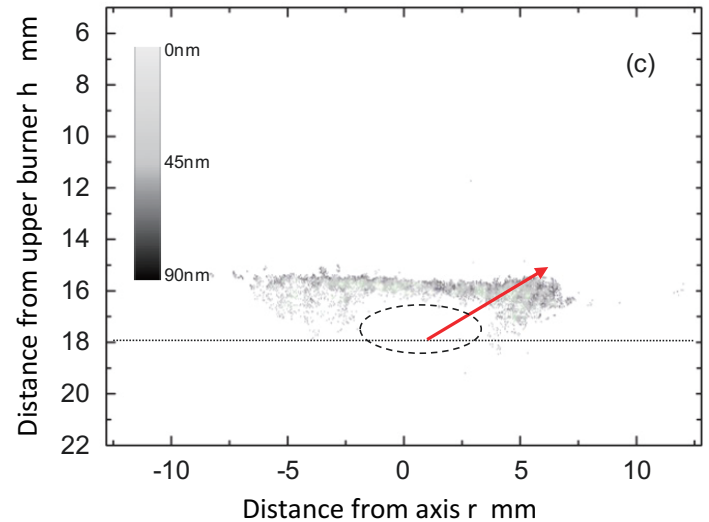
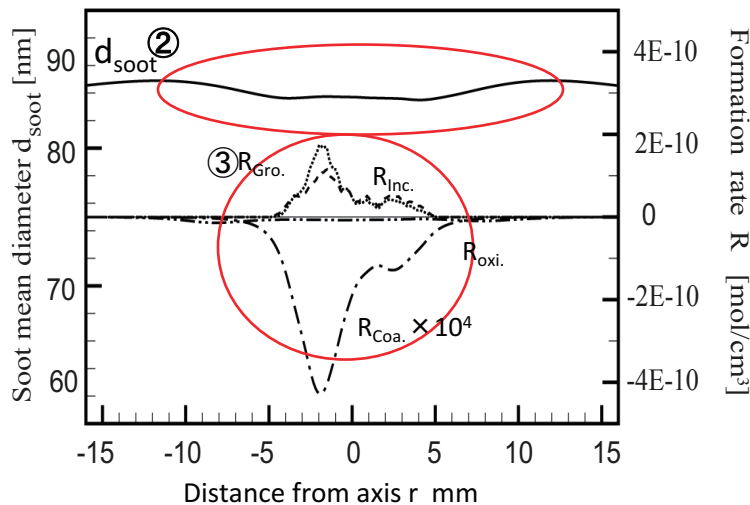
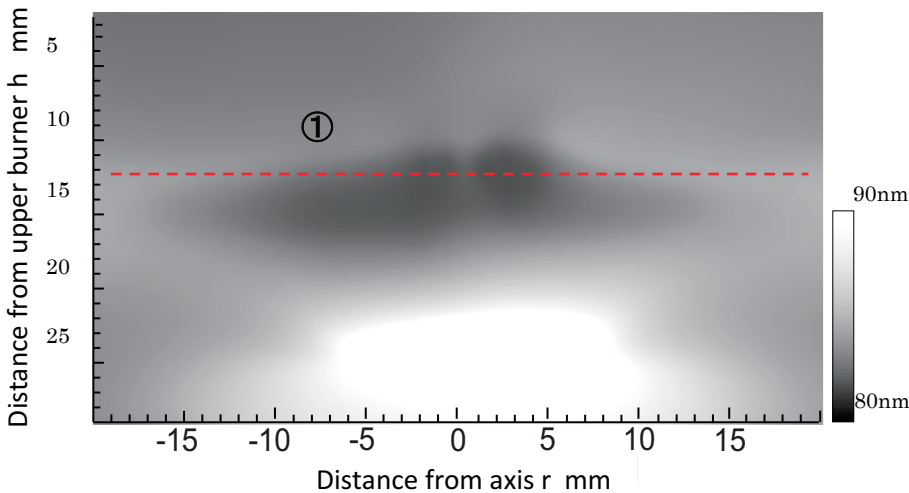
酸化
(oxidation)

$$R_{oxi.} = \left(\frac{dM}{dt} \right)_{oxi.} = - \left(c_3 \eta \rho \frac{Y_{OH}}{W_{OH}} + c_4 \rho \frac{Y_{O_2}}{W_{O_2}} e^{-\frac{19778}{T_g}} \right) T_g^{1/2} (\pi N)^{1/3} \left(\frac{6M}{\rho_{soot}} \right)^{2/3}$$

ρ_{soot} : 2000 kg/m³, η : 0.13, c_1 : 54 s⁻¹, c_2 : 9000.6 kg·m/(kmol·s), c_3 : 105.81 kg·m/(kmol·K^{1/2}·s), c_4 : 8903.51 kg·m/(kmol·K^{1/2}·s)

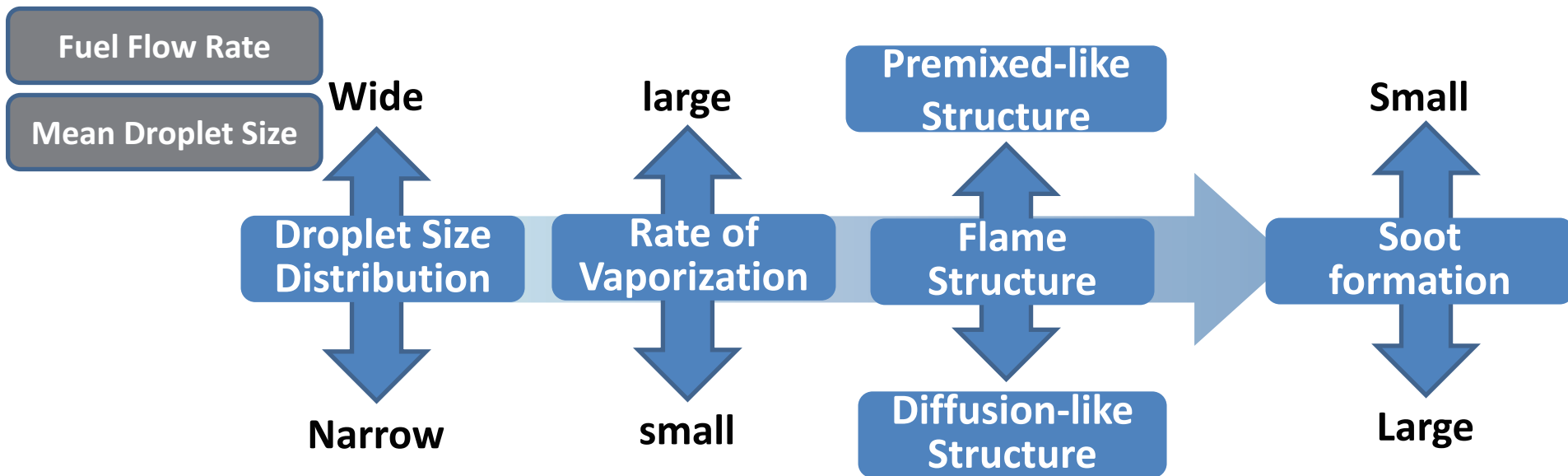
Soot formation

$D_{32}=104\mu\text{m}, \phi_f=1.26$



- 不均一な生成領域
- すべての生成反応率が存在
- すす粒径が外周部で増大
- 表面成長の生成反応率

Conclusion



- 噴霧火炎中におけるすす生成は、供給される燃料噴霧の平均粒径の増大に伴って増加する。また、ザウタ平均粒径が等しい場合は、粒径分布の幅が広い多分散噴霧においてすす生成量が低下する。
- 噴霧火炎中では、核生成、凝集、表面成長、酸化のすべての過程が同時に起こり、拡散的な噴霧火炎構造によって形成される高温領域の中心で、主に表面成長の過程が生じることにより、外周部に置いて大粒径のすす粒子に成長する。